#### Attention, exhaustivity and non-cooperativity

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Institute for Logic, Language and Computation University of Amsterdam

LIRA Seminar, September 5<sup>th</sup> 2013

(1) Of John, Bill and Mary, who came to the party?
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- b. John came ↗.



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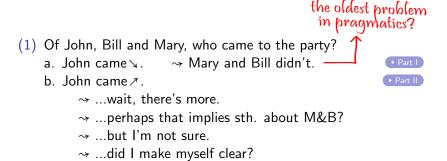
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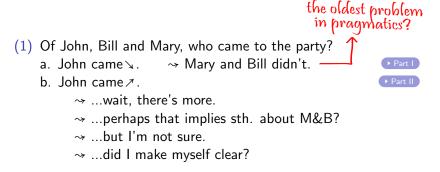
#### ▶ Part I

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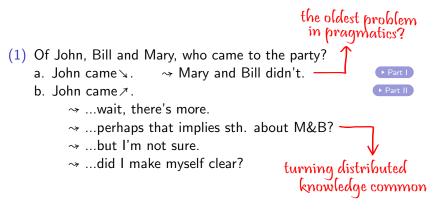






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(De Morgan, 1847)



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#### Part I

- 1. Diagnosis
- 2. Theory
- 3. Predictions
- 4. Discussion

#### 1. Diagnosis

- 1.1. The problem
- 1.2. Towards a solution

(1) Of John, Bill and Mary, who came to the party?

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An implicature, the supposition of which is necessary for maintaining the assumption that the speaker is cooperative.

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"[the epistemic] step does not follow from Gricean maxims and logic alone." - Chierchia, et al. (2008) Wrong, it does!

(2) a. Of John, Bill and Mary, who came to the party?
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(2b) and (2c) differ in their attentive content.

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#### 2. Theory

- 2.1. Translation into logic
- 2.2. Semantics
- 2.3. Pragmatics

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- (3) a. Of John, Bill and Mary, who came to the party? b. John came. → Mary didn't come
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- (3) a. Of John and Mary, some came to the party. b. John came. → Mary didn't come
  - c. John came, or Mary and John.

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- (3) a. John came, or Mary, or John and Mary.
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(3) a. John came, or Mary, or John and Mary.b. John came.

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c. John came, or Mary and John.

 $p \lor q \lor (p \land q)$ (3) a. John came, or Mary, or John and Mary. b. John came.  $p \\ p \lor (p \land q)$ 

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c. John came, or Mary and John.

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Possibility: a set of worlds (a, b)

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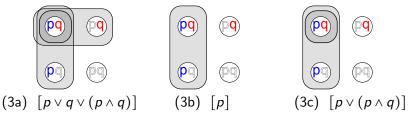
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• Informative content:  $|\varphi| \coloneqq \bigcup [\varphi]$ 

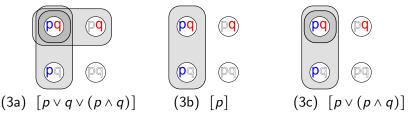
- Possibility: a set of worlds (a, b)
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## (3a) $[p \lor q \lor (p \land q)]$ (3b) [p] (3c) $[p \lor (p \land q)]$

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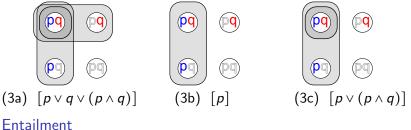
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Entailment

A entails B, A \models B, iff

(i) \bigcup A \subseteq \bigcup B; and

(ii) for all b \in B, if b \cap \bigcup A \neq \emptyset, b \cap \bigcup A \in A
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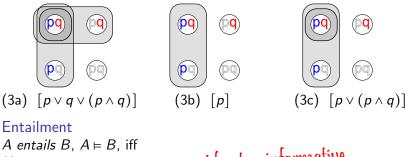
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- Informative content:  $|\varphi| := \bigcup [\varphi]$ ۲



Entailment

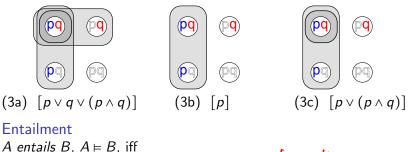
A entails B,  $A \models B$ , iff (i)  $\bigcup A \subseteq \bigcup B$ ; and (ii) for all  $b \in B$ , if  $b \cap \bigcup A \neq \emptyset$ ,  $b \cap \bigcup A \in A$ 

- Possibility: a set of worlds (a, b)
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(i)  $\bigcup A \subseteq \bigcup B$ ; and  $\longrightarrow$  at least as informative (ii) for all  $b \in B$ , if  $b \cap \bigcup A \neq \emptyset$ ,  $b \cap \bigcup A \in A$   $\longrightarrow$  at least as attentive as attentive

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Now,  $(3c) \models (3a)$ , but  $(3b) \neq (3a)$ .

The relevant maxims

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- 1. Quality:
- 2. Quantity:
- 3. Relation:

#### The relevant maxims

For a cooperative speaker with information s, responding R to Q:

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- **1**. **Quality**:  $s \subseteq \bigcup R$ .
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For a cooperative speaker with information s, responding R to Q:

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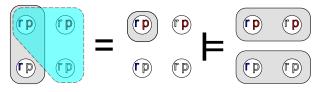




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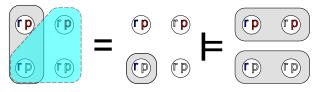


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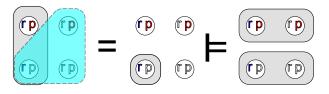


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- 2. Quantity: For all  $Q' \subseteq Q$ , if  $s \subseteq \bigcup Q'$  then  $\bigcup R \subseteq \bigcup Q'$ .
- 3. **Relation**:  $\{r \cap s \mid r \in R\} \models Q$ .

# (4) Did John go to the party? It was raining. → If it rained, John {went / didn't go}.



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#### The relevant maxims

For a cooperative speaker with information s, responding R to Q:

- 1. **Quality**:  $s \subseteq \bigcup R$ .
- 2. Quantity: For all  $Q' \subseteq Q$ , if  $s \subseteq \bigcup Q'$  then  $\bigcup R \subseteq \bigcup Q'$ .
- 3. **Relation**:  $\{r \cap s \mid r \in R\} \vDash Q$ .

#### 3. Predictions

- 3.1. Examples
- 3.2. General results

(3) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ 

b. John came. (p)

c. John came, or Mary and John.  $(p \lor (p \land q))$ 

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b. John came. (p)

c. John came, or Mary and John.  $(p \lor (p \land q))$ 1.  $s \subseteq |p \lor (p \land q)|$  (Quality)

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(3) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ 

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c. John came, or Mary and John.  $(p \lor (p \land q))$ 1.  $s \subseteq |p \lor (p \land q)| = |p|$  (Quality) 2.  $s \notin |q|$  (Quantity) 3. -  $p \lor (p \land q) \models p \lor q \lor (p \land q)$  (Relation)

(3) a. John came, Mary came, or both came (p ∨ q ∨ (p ∧ q))
b. John came. (p)
1. s ⊆ |p| (Quality)

c. John came, or Mary and John.  $(p \lor (p \land q))$ 1.  $s \subseteq |p \lor (p \land q)| = |p|$  (Quality) 2.  $s \notin |q|$  (Quantity) 3. -  $p \lor (p \land q) \models p \lor q \lor (p \land q)$  (Relation)

(3) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ 

b. John came. (p)

1.  $s \subseteq |p|$ 2.  $s \notin |q|$  (Quality) (Quantity)

c. John came, or Mary and John.  $(p \lor (p \land q))$ 1.  $s \subseteq |p \lor (p \land q)| = |p|$  (Quality) 2.  $s \notin |q|$  (Quantity) 3. -  $p \lor (p \land q) \models p \lor q \lor (p \land q)$  (Relation)

(3) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ 

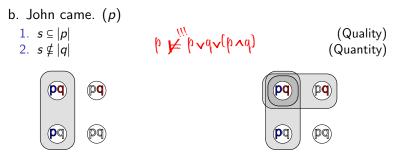
b. John came. (p)

1. 
$$s \subseteq |p|$$
(Quality)2.  $s \notin |q|$  $p \not\models p \lor q \lor (p \land q)$ (Quality)

c. John came, or Mary and John.  $(p \lor (p \land q))$ 1.  $s \subseteq |p \lor (p \land q)| = |p|$  (Quality) 2.  $s \notin |q|$  (Quantity) 3. -  $p \lor (p \land q) \models p \lor q \lor (p \land q)$  (Relation)

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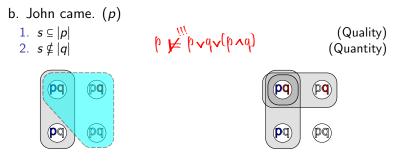
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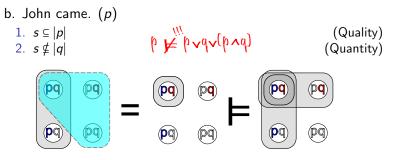
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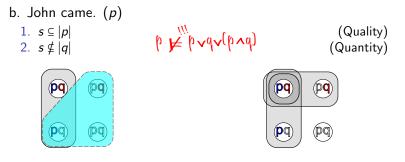
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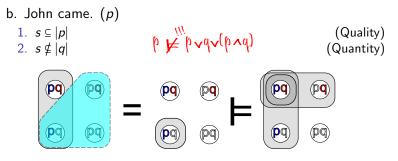
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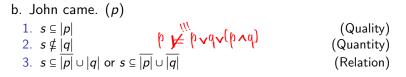
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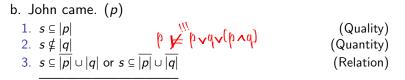
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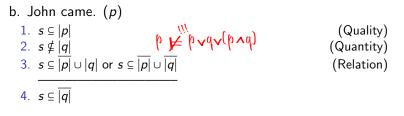
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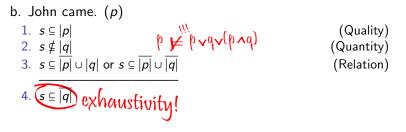
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#### Relation implicature

For a cooperative speaker with info s, responding A to Q:

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Recall: A entails Q, A \models Q, iff
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### Relation implicature

For a cooperative speaker with info *s*, responding *A* to *Q*: (i)  $s \subseteq \bigcup A \cup \bigcup Q$ (ii) ...

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Recall: A entails Q, A \models Q, iff
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#### Relation implicature

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Recall: A entails  $Q, A \models Q$ , iff (i)  $\bigcup A \subseteq \bigcup Q$ ; and (ii) for all  $q \in Q$ ,  $q \cap \bigcup A = \emptyset$  or  $q \cap \bigcup A \in A$ 

#### Relation implicature

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## Relation implicature for singleton answer And if responding $\{a\}$ to Q for some $a \in Q$ :

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Relation implicature for singleton answer And if responding  $\{a\}$  to Q for some  $a \in Q$ : for all  $q \in Q$ ,

Recall: A entails  $Q, A \models Q$ , iff (i)  $\bigcup A \subseteq \bigcup Q$ ; and (ii) for all  $q \in Q$ ,  $q \cap \bigcup A = \emptyset$  or  $q \cap \bigcup A \in A$ 

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### 4. Discussion

- 4.1. Opinionatedness
- 4.2. 'Alternatives'
- 4.3. Semantics
- 4.4. Other maxims of Relation
- 4.5. Relatedness and knowledge
- 4.6. Logical relatedness

Most existing work (going back to Mill, 1867):

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(Quantity)

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Most existing work (going back to Mill, 1867):

- 1. The speaker lacks the belief that Mary came
- 2. She is opinionated about whether Mary came

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#### Counterexample:

(5) I'm asking the wrong person, but who came to the party? John and Bill came. → Not Mary.

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(5) I'm asking the wrong person, but who came to the party? John and Bill came. → Not Mary.

Instead, in my approach:

The Relation implicature implies 'conditional opinionatedness'.

## 4.2. 'Alternatives'

Existing approaches (since Gazdar, 1979):

• 'Why did the speaker not say " $p \land q$ "?'

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• Mere ignorance is sufficient reason.

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My approach:

• 'Why did the speaker not say " $p \lor (p \land q)$ "?'

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Ignorance is no excuse.

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My approach:

- 'Why did the speaker not say " $p \lor (p \land q)$ "?'
- Ignorance is no excuse.
- Hence something stronger is implied: exhaustivity.

#### Beware

- These 'alternatives' are fully determined by the maxims.
- Speakers need not reason in terms of alternatives.

# 4.3. Semantics

Restriction A restricted to b,  $A_b := \{a \cap b \mid a \in A, a \cap b \neq \emptyset\}$ 

Semantics (Roelofsen, 2011)

1. 
$$[p] = \{\{w \in Worlds \mid w(p) = true\}\}$$
  
2.  $[\neg \varphi] = \{\overline{\cup[\varphi]}\} \text{ if } \overline{\cup[\varphi]} \text{ is nonempty; } \emptyset \text{ otherwise}$   
3.  $[\varphi \lor \psi] = ([\varphi] \cup [\psi])_{|\varphi| \cup |\psi|} = [\varphi] \cup [\psi]$   
4.  $[\varphi \land \psi] = ([\varphi] \cup [\psi])_{|\varphi| \cap |\psi|}$ 

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• Unrestricted Inquisitive Sem. (Ciardelli, 2009; Westera, 2012)

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Attentive semantics is not the only suitable semantics:

Unrestricted Inquisitive Sem. (Ciardelli, 2009; Westera, 2012)
 Minimally, the semantics must lack the absorption laws:

• Absorption:  $p \lor (p \land q) \equiv p \equiv p \land (p \lor q)$ 

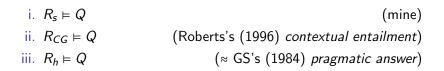
i. 
$$R_s \models Q$$

(mine)

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i.  $R_s \vDash Q$  (mine) ii.  $R_{CG} \vDash Q$  (Roberts's (1996) contextual entailment)

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ii. and iii. are too strong:

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- ii. and iii. are too strong:
  - The participants need not *already know* how *R* is relevant.

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  - They need only be able to *figure it out*. (left implicit here)
  - (4) Did John go to the party?
     It was raining. → If it rained, John {went / didn't go}.

#### $R_s \vDash Q$ 'the speaker knows how R is related to Q'

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#### Relatedness

A is related to Q in world w iff for some fact f,  $w \in f$ ,  $A_f \models Q$ .

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Now:

For all A, Q true in w, there is a fact  $f, w \in f$ , s.t.  $A_f \models Q$ .

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Now:

 For all A, Q true in w, there is a fact f, w ∈ f, s.t. A<sub>f</sub> ⊨ Q. (e.g., let f be {w})

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Now:

For all A, Q true in w, there is a fact f, w ∈ f, s.t. A<sub>f</sub> ⊨ Q.
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Within a world, everything is related.

Just as [logical consequence] rules the validity of argumentation, [logical relatedness] rules the coherence of information exchange.

(Groenendijk and Roelofsen, 2009)

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Logical iff f captures all and only the laws of logic.

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Logical consequence is logical relatedness.

#### End of Part I

#### Two puzzles

(1) Of John, Bill and Mary, who came to the party?

- a. John came  $\searrow$ .  $\rightarrow$  Mary and Bill didn't.
- b. John came ↗.
  - $\rightsquigarrow$  ....wait, there's more.
  - $\rightsquigarrow$  ...perhaps that implies sth. about M&B?
  - $\sim$  ...but I'm not sure.
  - → ...did I make myself clear?



# Part II

- 5. Analysis
- 6. Predictions
- 7. Discussion

#### 5. Analysis

 $(1)\,$  Of John, Bill and Mary, who came to the party?

b. John came ↗.

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 $\sim$  ...wait, there's more.

(Quantity)

< □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > < □ > <

- $\rightsquigarrow$  ...perhaps that implies sth. about M&B?
- $\rightsquigarrow$  ...but I'm not sure.
- $\sim$  ...did I make myself clear?

(1) Of John, Bill and Mary, who came to the party?

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(Quantity) (Relation)

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(1) Of John, Bill and Mary, who came to the party?

b. John came ↗.

- $\rightsquigarrow$  ....wait, there's more.
- $\sim$  ...perhaps that implies sth. about M&B?

(Quantity) (Relation)

 $\rightsquigarrow$  ...but I'm not sure.

→ ...did I make myself clear?

#### Proposal

1. The final rise marks the violation of a maxim.

(1) Of John, Bill and Mary, who came to the party?

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- $\rightsquigarrow$  ....wait, there's more.
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Proposal

1. The final rise marks the violation of a maxim.

(Quantity) (Relation) (Quality)

(1) Of John, Bill and Mary, who came to the party?

b. John came ↗.

- $\rightsquigarrow$  ...wait, there's more.
- $\sim$  ...perhaps that implies sth. about M&B?
- $\rightsquigarrow$  ...but I'm not sure.
- → ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

#### Proposal

1. The final rise marks the violation of a maxim.

#### Proposal

1. The final rise marks the violation of a maxim.

#### Proposal

- 1. The final rise marks the violation of a maxim.
- Its pitch conveys the severity of the violation (low: Quantity/Relation; high: Quality/Manner).

#### 6. Predictions

- 6.1. Example
- 6.2. General results

(8) Of J and M, who came to the party? John came ↗.

 $\begin{pmatrix} p \lor q \lor (p \land q) \end{pmatrix}$  $\begin{pmatrix} p \end{pmatrix}$ 

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(8) Of J and M, who came to the party? John came ↗.

 $(p \lor q \lor (p \land q))$ (p)

#### Readings

...wait, there's more. ...perhaps that implies sth. about Mary? ...but I'm not sure. ...did I make myself clear? (Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party? John came *A*.
1. s ⊆ |p|
2. s ∉ |q|
3. s ⊆ |p| ∪ |q| or s ⊆ |p| ∪ |q|

$$egin{aligned} (p \lor q \lor (p \land q)) \ (p) \ (Quality) \ (Quantity) \ (Relation) \end{aligned}$$

#### Readings

...wait, there's more. ...perhaps that implies sth. about Mary? ...but I'm not sure. ...did I make myself clear? (Quantity) (Relation) (Quality) (Manner)

 $(p \lor q \lor (p \land q))$ (8) Of J and M, who came to the party? John came ↗.

- 1.  $s \subseteq |p|$ 2. *s* ⊈ |*q*|
- 3.  $s \subseteq |p| \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker thinks she is clear, concise, etc.

Readings

...wait, there's more. ...perhaps that implies sth. about Mary? .....but I'm not sure. ...did I make myself clear?

(Quantity) (Relation) (Manner) (Quantity) (Relation)

(p)

(Quality)

(Quality) (Manner)

(8) Of J and M, who came to the party?  $(p \lor q)$ John came  $\nearrow$ .

- 1.  $s \notin |p|$ 2.  $s \notin |q|$
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker thinks she is clear, concise, etc.

Readings

...wait, there's more. ...perhaps that implies sth. about Mary? ...but I'm not sure. ...did I make myself clear?

 $\begin{array}{c} (p \lor q \lor (p \land q)) \\ (p) \\ (\checkmark) \\ (Quantity) \\ (Relation) \\ (Manner) \end{array}$ 

(Quantity) (Relation) (Quality) (Manner)

 $(p \lor q \lor (p \land q))$ (8) Of J and M, who came to the party? John came ↗.

- 1.  $s \notin |p|$ 2. *s* ⊈ |*q*|
- 3.  $s \subseteq |p| \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

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## Readings

...wait, there's more. ...perhaps that implies sth. about Mary?  $\checkmark$  ...but I'm not sure. ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(p)

( 7)

(Quantity)

(Relation)

(Manner)

(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came  $\nearrow$ . (p)

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker thinks she is clear, concise, etc.

Readings

...wait, there's more.
 ...perhaps that implies sth. about Mary?
 ✓ ...but I'm not sure.
 ...did I make myself clear?

 $q \lor (p \land q)) \ (p) \ (Quality) \ (Relation) \ (Manner)$ 

(Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came  $\nearrow$ . (p)1.  $s \subseteq |p|$  (Quality)

- 1.  $s \subseteq |p|$ 2.  $s \subseteq |q|$
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker thinks she is clear, concise, etc.

## Readings

...wait, there's more.
 ...perhaps that implies sth. about Mary?
 ✓ ...but I'm not sure.
 ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

( 🗡 )

(Relation)

(Manner)

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(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came  $\checkmark$ . (p)

- 1.  $s \subseteq |p|$ 2.  $s \subseteq |q|$
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker thinks she is clear, concise, etc.

#### (p) (Quality) (↗) (Relation) (Manner)

### Readings

✓ ...wait, there's more.
 ...perhaps that implies sth. about Mary?
 ✓ ...but I'm not sure.
 ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party? John came ↗.

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
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4. The speaker thinks she is clear, concise, etc.

## Readings

✓ ...wait, there's more.
 ...perhaps that implies sth. about Mary?
 ✓ ...but I'm not sure.
 ...did I make myself clear?

 $\begin{array}{c} (p \lor q \lor (p \land q)) \\ (p) \\ (Quality) \\ (Quantity) \\ (Relation) \\ (Manner) \end{array}$ 

(Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party? John came *↑*.

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
- 3.  $s \notin \overline{|p|} \cup |q|$  and  $s \notin \overline{|p|} \cup \overline{|q|}$

4. The speaker thinks she is clear, concise, etc.

## Readings

✓ ...wait, there's more.
 ...perhaps that implies sth. about Mary?
 ✓ ...but I'm not sure.
 ...did I make myself clear?

 $\begin{array}{c} (p \lor q \lor (p \land q)) \\ (p) \\ (Quality) \\ (Quantity) \\ (\checkmark) \\ (Manner) \end{array}$ 

(Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party? John came ↗.

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
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## Readings

✓ ...wait, there's more.
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 ✓ ...but I'm not sure.

...did I make myself clear?

 $\begin{array}{c} (p \lor q \lor (p \land q)) \\ (p) \\ (Quality) \\ (Quantity) \\ (\checkmark) \\ (Manner) \end{array}$ 

(Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party? John came ↗.

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
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4. The speaker thinks she is clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ...but I'm not sure.
  - ...did I make myself clear?

$$\begin{array}{c} (p \lor q \lor (p \land q)) \\ (p) \\ (Quality) \\ (Quantity) \\ (Relation) \\ (Manner) \end{array}$$

(Quantity) (Relation) (Quality) (Manner)

(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came 7. (p)

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker doesn't think she's clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ...but I'm not sure.
  - ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(Quality)

(Quantity)

(Relation)

( 🗡 )

(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came 7. (p)

- 1.  $s \subseteq |p|$ 2.  $s \notin |q|$
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker doesn't think she's clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ...but I'm not sure.
- ✓ ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(Quality)

(Quantity)

(Relation)

( 🗡 )

(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came  $\nearrow$ . (p)

- 1.  $s \subseteq |p|$
- 2. s⊈<u>|q|</u>
- 3.  $s \subseteq \overline{|p|} \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker doesn't think she's clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ...but I'm not sure.
- $\checkmark$  ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(Quality)

(Quantity)

(Relation)

(↗)

 $(p \lor q \lor (p \land q))$ (8) Of J and M, who came to the party? John came ↗. (p) (Quality)

- 1.  $s \subseteq |p|$ (Quantity)
- 2. *s* ⊈ |*q*|
- 3.  $s \subseteq |p| \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker doesn't think she's clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ... but I'm not sure.
- $\checkmark$  ...did I make myself clear?

Furthermore:

Exhaustivity disappears in all readings except Manner.

(Quantity) (Relation) (Quality) (Manner)

(Relation)

(↗)

 $(p \lor q \lor (p \land q))$ (8) Of J and M, who came to the party? John came ↗. (p) (Quality)

- 1.  $s \subseteq |p|$
- 2. *s* ⊈ |*q*|
- 3.  $s \subseteq |p| \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker doesn't think she's clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ...but I'm not sure.
- $\checkmark$  ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(Quantity)

(Relation)

(↗)

Furthermore:

- Exhaustivity disappears in all readings except Manner.
- Complete answers lack Relation/Quantity reading.

(8) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$ John came  $\nearrow$ . (p)

- 1.  $s \subseteq |p|$
- 2.  $s \notin |q|$
- 3.  $s \subseteq |p| \cup |q|$  or  $s \subseteq \overline{|p|} \cup \overline{|q|}$

4. The speaker doesn't think she's clear, concise, etc.

## Readings

- $\checkmark$  ...wait, there's more.
- $\checkmark$  ...perhaps that implies sth. about Mary?
- $\checkmark$  ...but I'm not sure.
- $\checkmark$  ...did I make myself clear?

(Quantity) (Relation) (Quality) (Manner)

(Quality)

(Quantity)

(Relation)

(↗)

Furthermore:

- Exhaustivity disappears in all readings except Manner.
- Complete answers lack Relation/Quantity reading. (Except maybe in sarcastic pretense?)

#### Relation violation

For sp. with info s, responding A to Q, violating Relation:

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#### Relation violation

For sp. with info *s*, responding *A* to *Q*, violating Relation: (i)  $s \notin \overline{\bigcup A} \cup \bigcup Q$ ; or (ii) for some  $q \in Q$ ,  $s \notin \overline{\bigcup A} \cup \overline{q}$  and for all  $a \in A$ ,  $s \notin (\overline{q \cap \bigcup A} \cap \overline{a}) \cup (q \cap \bigcup A \cap a)$ 

#### Relation violation

For sp. with info *s*, responding *A* to *Q*, violating Relation: (i)  $s \notin \overline{\bigcup A} \cup \bigcup Q$ ; or (ii) for some  $q \in Q$ ,  $s \notin \overline{\bigcup A} \cup \overline{q}$  and for all  $a \in A$ ,  $s \notin (\overline{q \cap \bigcup A} \cap \overline{a}) \cup (q \cap \bigcup A \cap a)$ 

#### Relation violation For sp. with info *s*, responding *A* to *Q*, violating Relation: (i) $s \notin \bigcup A \cup \bigcup Q$ ; or (ii) for some $q \in Q$ , $s \notin \bigcup A \cup \overline{q}$ and for all $a \in A$ , $s \notin (\overline{q \cap \bigcup A \cap \overline{a}}) \cup (q \cap \bigcup A \cap a)$

#### Relation violation on singleton answer

And if responding  $\{a\}$  to Q for some  $a \in Q$ : for some  $q \in Q$ ,  $s \notin \overline{a} \cup \overline{q}$  and  $s \notin \overline{a} \cup q$ 

#### Relation violation For sp. with info *s*, responding *A* to *Q*, violating Relation: (i) $s \notin \bigcup A \cup \bigcup Q$ ; or (ii) for some $q \in Q$ , $s \notin \bigcup A \cup \overline{q}$ and for all $a \in A$ , $s \notin (\overline{q \cap \bigcup A \cap \overline{a}}) \cup (q \cap \bigcup A \cap a)$

#### Relation violation on singleton answer

```
And if responding \{a\} to Q for some a \in Q:
for some q \in Q, s \notin \overline{a} \cup \overline{q} and s \notin \overline{a} \cup q
```

#### Quantity violation

For some  $Q' \subseteq Q$ ,  $s \subseteq \bigcup Q'$  and  $\bigcup R \notin \bigcup Q'$ .

#### 7. Discussion

- 7.1. Objective/subjective cooperativity
- 7.2. Existing work
- 7.3. Other uses of the rise
- 7.4. Evoked questions

# 7.1. Objective/subjective cooperativity

The maxims can be (and have been) defined in two ways:

# 7.1. Objective/subjective cooperativity

The maxims can be (and have been) defined in two ways:

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• *Objective*: Say only what *is* true, relevant, etc.

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But an account based on *objective* maxims would also work:

 Final rise: 'For some maxim, I'm not sure whether or how I comply with it'.

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- This is my Relation reading *plus* the Quality implicature

#### 7.3. Other uses of the rise

Contrastive topic (Büring, 2003): (9)  $[John]_{CT}$  had the  $[beans]_F$ .

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Interrogatives:

(10) a. Was John there ↗?b. Was John there ↘?

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Future work!

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   It was raining ↘. ~ He {likes / dislikes} rainy parties

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Perfect for turning distributed knowledge common.

#### End of Part II

Part I:

If pragmatic reasoning is sensitive to attentive content

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Part II:

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then the many readings of the final rise are predicted.

#### The End

#### Article

 Attentive Pragmatics: Exhaustivity and the Final Rise. ESSLLI StuS proceedings (staff.science.uva.nl/~westera/)

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Chierchia, et al. (2008), and much subsequent discussion

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The 'embedded' implicature of (6) is in fact predicted.

"that there are, or appear to be, divergences in meaning between, on the one hand, [...] the FORMAL devices -  $\neg$ ,  $\land$ ,  $\lor$ ,[...] and, on the other, [...] their analogs or counterparts in natural language such expressions as not, and, or, [...]" (Grice, 1975)

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Besides: this is the only way.

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